Mark Scheme (Results)

Summer 2022

Pearson Edexcel GCE
In Statistics (9STO)
Paper 03: Statistics in Practice

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## General Marking Guidance

## Total marks

The total number of marks for the paper is 80 .

## Mark types

The Edexcel Statistics mark schemes use the following types of marks:

- M Method marks, awarded for 'knowing a method and attempting to apply it', unless otherwise indicated.
- A Accuracy marks can only be awarded if the relevant method (M) marks have been earned.
- B Unconditional accuracy marks are independent of M marks
- E Explanation marks

NOTE: Marks should not be subdivided.

## Abbreviations

These are some of the marking abbreviations that will appear in the mark schemes.

- ft follow through
- PI possibly implied
- cao correct answer only
- cso correct solution only
(There must be no errors in this part of the question)
- awrt answers which round to
- awfw answers which fall within (a given range)
- SC special case
- nms no method shown
- oe or equivalent
- dep dependent (on a given mark or objective)
- dp decimal places
- sf significant figures
- $\boldsymbol{*} \quad$ The answer is printed on the paper


## Further notes

- All candidates must receive the same treatment. Examiners must mark the first candidate in exactly the same way as they mark the last.
- Mark schemes should be applied positively. Candidates must be rewarded for what they have shown they can do rather than penalised for omissions.
- Examiners should mark according to the mark scheme not according to their perception of where the grade boundaries may lie.
- There is no ceiling on achievement. All marks on the mark scheme should be used appropriately.
- All the marks on the mark scheme are designed to be awarded. Examiners should always award full marks if deserved, i.e. if the answer matches the mark scheme. Examiners should also be prepared to award zero marks if the candidate's response is not worthy of credit according to the mark scheme.
- Where some judgement is required, mark schemes will provide the principles by which marks will be awarded and exemplification may be limited.
- When examiners are in doubt regarding the application of the mark scheme to a candidate's response, the team leader must be consulted.
- All A marks are 'correct answer only' (cao), unless shown, for example, as A1ft to indicate that previous wrong working is to be followed through.
- All M marks are 'possibly implied' (PI) unless specifically stated otherwise in the 'Notes' column.
- After a misread, the subsequent A marks affected are treated as A1ft, but manifestly absurd answers should never be awarded A marks.
- Crossed out work should be marked UNLESS the candidate has replaced it with an alternative response.
- If two solutions are given, each should be marked, and the resultant mark should be the mean of the two marks, rounded down to the nearest integer if needed.

| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1 ( a )}$ | The group that only receives the <br> standard balance training. | B1 | 1.1 | Accept "the second <br> group" |
| $\mathbf{1 ( b )}$ | So that any difference (in outcome) <br> found between the two groups can <br> be more confidently attributed to <br> the video game. |  | oe <br> Accept "To reduce the <br> likelihood that some <br> factor other than the <br> video game results in <br> a difference (in <br> outcome) between the <br> two groups" or <br> "Reduces <br> experimental error" |  |
|  | To avoid the bias that could arise if <br> patients were not assigned <br> randomly. |  | E1 | 3.1a |
|  | Do not accept "to <br> make the experiment <br> more fair" or similar. |  |  |  |
|  | Reference specifically <br> to removing bias. |  |  |  |
| $\mathbf{1 ( c )}$ | Because Giovanni knows which <br> patients are assigned to each group. |  | Either <br> oe |  |
|  | Because the patients know if they <br> are playing the video game or not |  | B1 | 1.1 |
|  | Either |  |  |  |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1 ( d )}$ | List not exhaustive |  | Accept "Both groups <br> have better (average) <br> balance at the end of <br> the experiment" |  |
|  | Both the control and experimental <br> groups show improvement in their <br> (average Berg balance) scores at <br> the end (T1) of the experiment. |  | Must specify that this <br> is an improvement on <br> initial (average) <br> scores or balance. |  |
|  | Both the control and experimental <br> groups show improvement on their <br> initial (average Berg balance) <br> scores one month after (T2) the <br> experiment. |  | Accept "The control <br> group's better average <br> balance is not <br> maintained one month <br> after the experiment" |  |
|  | The control group's improvement <br> in average (Berg balance) score at <br> the end of the experiment does not <br> remain one month after (T2) the <br> experiment |  |  |  |
|  | The experimental group's <br> improvement in average (Berg <br> balance) score at the end of the <br> experiment was maintained one <br> month after (T2) the experiment |  |  | This is not distinct <br> from comments on the <br> differences in spread <br> or average of the <br> scores at the start of <br> the experiment. <br> (41 vs 45) |
|  | The control and experimental <br> groups have different <br> distributions of (Berg balance) <br> scores at the start (T0) of the <br> experiment. | Accept "The control <br> and experimental <br> groups have similar <br> average scores at the <br> start of the <br> experiment." |  |  |
|  | The experimental group has a <br> higher median balance score than <br> the control group at all stages |  |  |  |
| The control group has a slightly <br> lower average (Berg balance) <br> score at the start (T0) of the <br> experiment than the experimental <br> group. |  |  |  |  |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 1(d) cont. | The experimental group has two outliers |  |  |  |
|  | The experimental group has a bigger range of (Berg balance) scores at the start (T0) of the experiment than the control group. |  |  |  |
|  | The experimental group has a smaller range of (Berg balance) scores at the end (T1) of the experiment than the control group. |  |  |  |
|  | The experimental group has a smaller IQR of (Berg balance) scores at the start (T0) of the experiment than the control group. |  |  |  |
|  | Control group one month after the experiment (T2) has the same median as the experimental group had at the start of the experiment (T0) |  |  |  |
|  | The spread decreases in the experimental group from the end of the experiment (T1) to one month after the experiment (T2). |  |  |  |
|  | Experimental group are positively skewed |  |  |  |
|  |  | $\begin{aligned} & \mathrm{E} 1, \mathrm{E} 1, \\ & \mathrm{E} 1, \mathrm{E} 1 \end{aligned}$ | $\begin{aligned} & 1.1, \\ & 1.1, \\ & 1.1, \\ & 1.1 \end{aligned}$ | One mark for each distinct correct comment up to a maximum of 4 marks <br> Maximum 3 if no context attempted <br> Accept median or average but not mean throughout - penalise only once |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1 ( e )}$ | Advantages |  |  | oe |
|  | The box and whisker plots clearly <br> show the differences between the <br> distributions (of the Berg balance <br> scores) before and after the <br> therapies. |  |  | oe <br> control v experimental <br> or e.g. easy to <br> compare averages |
|  | The box and whisker plots clearly <br> show the differences (of the Berg <br> balance scores) between the <br> distributions of the control and <br> experimental groups. |  |  |  |
|  | It can show the scores at 3 different <br> times on the same diagram |  | E1 | 3.1 a |


| Question | Scheme | Marks | AO | Notes |  |
| :--- | :--- | :--- | :--- | :--- | :---: |
| $\mathbf{1 ( e ) ~ c o n t . ~}$ | Disadvantages |  | oe <br> Specialist knowledge <br> is required to <br> understand box and <br> whisker plots. |  |  |
|  | The meaning of box and whisker <br> plots may need to be explained to a <br> non-specialist audience. |  | oe <br> Limits the information <br> provided |  |  |
|  | The box and whisker plot only <br> provides 5 statistics. | Doesn't tell us how large the <br> sample was |  |  |  |
|  | Exact values are difficult to read | E1 | 3.1a | Any disadvantage |  |
|  |  |  |  |  |  |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :---: | :---: | :--- |
| 2(a) | $\frac{1}{(13-5)}=0.125$ | E1 | 2.1a | oe <br> May be stated in <br> words: "Total <br> probability/area is <br> one. The base of the <br> rectangle is 8. One <br> divided by 8 is 0.125" <br> Accept "1/8 $=0.125 "$ |
| 2(b) | 9 (working) hours | B1 | 1.2 |  |
| 2(c) | 0 | B1 | 2.1 a | oe "zero" |$|$| B1 |
| :--- |
| 2(d) |
| 2(e) |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 3(a) | $(\mathrm{n}=22) \mathrm{t}=2.080$ | B1 | 1.3 | t-value <br> Condone $\mathrm{z}=1.96$ |
|  | $54.8 \pm 2.080\left(\frac{35.4}{\sqrt{22}}\right)$ | M1ft | 1.3 | Formula correct ft on B1 |
|  | (39.1, 70.5) | A1 | 1.3 | awfw $\text { 39~39.1, } 70.4 \sim 70.5$ |
| 3(b) | The confidence intervals do not overlap. | M1 | 2.1b | Comparison of candidates CI from (a) with given CI |
|  | So there is significant evidence to support Klazine's belief. | E1dep | 2.1b | oe dep M1 <br> Evidence supports <br> Klazine's belief |
|  | Involving a child in preparing their own meal affects what they choose to eat at that meal (this can be seen for salad) | E1dep | 2.1a | dep on M1 <br> Response can be more specific, e.g. "children who help prepare their own meal eat more salad" or "children who do not prepare their own meal eat less salad" |
|  |  |  |  | Award E marks independently from one another. May be seen in one sentence. <br> Disregard references to health. |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 3(c) | C signifies child prepared with parent <br> D signifies parent prepared alone |  |  | Can be the other way around with a negative ts and cv |
|  | $\begin{aligned} & \mathrm{H}_{0}: \mu_{\mathrm{C}}-\mu_{\mathrm{D}}=10 \\ & \mathrm{H}_{1}: \mu_{\mathrm{C}}-\mu_{\mathrm{D}}>10 \end{aligned}$ | B1 | 1.3 | oe both, subscripts clearly defined |
|  | $s_{p}^{2}=\frac{(25-1) 50.1^{2}+(22-1) 51.3^{2}}{25+22-2}$ | M1 | 1.3 | PI |
|  | $=2567$ | A1 | 1.3 | PI <br> awrt 2560~2570 <br> or $s_{p}=\text { awfw } 50.5 \sim 50.7$ |
|  | $t s=\frac{(110.5-89.7)-10}{\sqrt{2567\left(\frac{1}{25}+\frac{1}{22}\right)}}$ | M1 | 1.3 | PI <br> Numerator or denominator correct (ignoring -10) |
|  |  | M1dep | 1.3 | PI <br> Fully correct numerator with candidates $s_{p}{ }^{2}$ |
|  | Critical value method: $10+1.679 \times \sqrt{219.344}=34.866$ |  |  | 1.679 scores M1 <br> Formula scores M1dep |
|  | $=0.729$ | A1 | 1.3 | ts awfw 0.728~0.730 or 34.9 |
|  | $\mathrm{cv}=1.679$ or $p$-value $=0.235$ | B1 | 1.3 | Any of $1.679,0.235$, 20.8 selected for comparison |
|  | ( $0.729<1.679$, No significant evidence to reject $\mathrm{H}_{0}$ ) <br> There is insufficient evidence that the children who prepared their meal with a parent ate over 10 grams more cauliflower, on average, than the children who did not. | E1dep | 2.1a | oe $0.235>0.05$ or $20.8<34.9$ <br> in context. <br> Must contain element of doubt. <br> dep on whole test correct |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :--- | :--- | :--- | \left\lvert\, \(\begin{array}{l}3(d) <br>

\hline\end{array} $$
\begin{array}{l}\text { The (population) variance of the } \\
\text { weight of cauliflower eaten by } \\
\text { children who prepare their meal } \\
\text { with a parent should be very } \\
\text { similar to the (population) } \\
\text { variance of the weight of } \\
\text { cauliflower eaten by children } \\
\text { whose parent prepared their } \\
\text { meal alone. }\end{array}
$$ \quad\right.\) B1 $\left.\begin{array}{l}\text { Variances } \\
\text { equal/similar/close in } \\
\text { context. } \\
\text { Accept "Variance of } \\
\text { cauliflower should } \\
\text { be the same for } \\
\text { children who prepare } \\
\text { and those that don't." }\end{array}\right\}$

| $\mathbf{3 ( f )}$ | The width of the confidence <br> intervals should decrease. | B1 | 2.1 b | oe <br> Confidence intervals <br> narrower. <br> Condone smaller |
| :--- | :--- | :---: | :---: | :---: | :--- |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :---: | :---: | :--- |
| 4(a) | $(\sqrt{2.8}=) 1.67$ | B1 | 1.2 | awrt 1.67 |
| 4(b) | 0.222 | B1 | 1.2 | awfw 0.222~0.223 |
| 4(c) | $\lambda=8.4$ | M1 | 1.2 | PI rescaling |
|  | $(1-0.399=) 0.601$ | A1 | 1.2 | awfw 0.600~0.602 |
| 4(d) | Exponential (distribution) | B1 | 2.1 b | B1dep |
|  | with parameter 2.8 |  | $\lambda=2.8$ <br> or <br> mean $=1 / 2.8=0.357$ <br> must state that this is <br> the mean <br> Dep on previous B1 |  |
|  |  | B1 | 1.2 | Accept Exp(2.8) for <br> both marks |
| oe |  |  |  |  |
| 4(e) | $\left(\frac{1}{2.8}=\right)=\frac{5}{14}=0.357$ (years) |  |  |  |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :--- | :---: | :--- |
| 4(f) | Use of memoryless property | M1 | 2.1a | PI by correct working <br> May be stated or <br> demonstrated by <br> candidate clearly <br> disregarding the wind <br> turbine history <br> e.g. "P(X <0.5)" with <br> no conditional <br> probability used. |
|  | $1-e^{-2.8 \times 0.5}$ | M1ft | 1.2 | PI <br> $1-e^{-1.4}$ <br> Accept ft of <br> candidate's $\lambda$ |
|  | Alternative | A1 | 1.2 | awrt 0.753 |
|  | Use of Poisson distribution with $\lambda$ <br> $=1.4$ | (M1) |  | PI |
|  | $1-P(X=0)$ | (M1) |  | PI <br> $1-0.247$ |
|  | 0.753 | (A1) |  | awrt 0.753 |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 4(g) | $\frac{84}{6 \times 5}=2.8$ | B1 | 1.2 | oe working <br> Full calculation must be demonstrated. <br> May state in words. |
| 4(h) | A wind turbine may not fail at a constant average rate as older turbines may be more likely to fail. |  |  | Challenge to the assumption that failure rate for a wind turbine is constant. |
|  | The failure of a wind turbine may not be a random event because it may be caused by weather. |  |  | Challenge to the assumption that wind turbines fail at random. |
|  | The failure of a particular wind turbine may not be independent of the failure of another wind turbine as one may fall onto another. |  |  | Challenge to the assumption that wind turbines fail independently. |
|  | Petra's calculation of $\lambda$ made the assumption that all of the wind turbines fail at the same average rate per year. This might not be true. |  |  | Challenge to the assumption that all wind turbines fail at the same rate. |
|  | Petra based her value of 2.8 on a limited amount of data |  |  | Challenging Petra's value of 2.8 e.g. When a wind turbine has failed it can't fail again until repaired |
|  | More than one turbine could fail at exactly the same time |  |  |  |
|  | There would be an upper limit to the number of failures in one year |  |  |  |
|  |  | $\begin{gathered} \text { E1, E1, } \\ \text { E1 } \end{gathered}$ | $\begin{aligned} & 3.1 \mathrm{~b}, \\ & 3.1 \mathrm{~b}, \\ & 3.1 \mathrm{~b} \end{aligned}$ | Any three distinct answers from the above, in context of wind turbine failure. <br> Max E1E0E0 if no context |
|  | Total | 14 |  |  |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 5(a) | (The distribution has an approximate) bell shape | E1 | 2.1a | oe <br> Accept "(Distribution is) monomodal" or "unimodal" or "One clear peak (in the distribution)" |
| 5(b) | The distribution has a (positive) skew. |  |  | Skew or not symmetrical |
|  | Too much of the distribution is in the tails (for it to be a normal distribution). |  |  | oe <br> Accept "(distribution/shape) too triangular" or (distribution has) tails (that are) too large" or "(distribution has) high kurtosis" |
|  |  | E1 | 2.1a | Either <br> May use calculations that show an equivalent argument but the point being made must be clear. |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :---: | :---: | :--- |
| $\mathbf{5 ( c )}$ | $s=P(80<X<100)$ <br> or <br> $t=P(100<X<120)$ | M1 | 1.2 | PI <br> oe Clear attempt to <br> find either probability <br> using correct normal <br> distribution. |
|  | $s=0.2789$ <br> or <br> $t=0.3406$ | A1 | 1.2 | Either $s$ or $t$ correct <br> $s$ awfw 0.278~0.280 <br> t awfw 0.340~0.342 |
| $250 \times s$ <br> or <br> $250 \times t$ | M1ft | 1.2 | Either <br> PI <br> ft candidate's $s$ or $t$ |  |
|  | $u=69.73$ <br> and <br> $v=85.15$ or 85.14 | 1.2 | Both $u$ and $v$ correct <br> $u$ awfw 69.5~70 <br> $v$ awfw 85~85.5 <br> Correct to 1 or more <br> dp |  |
|  | A1 |  |  |  |
| 5(d) | They should pool $140<x \leq 160$ <br> with $160<x$ because the expected <br> frequency is less than 5. | E1 | 1.3 | oe <br> Accept "pooling <br> because 1.7 $<5 "$ |


| Question | Scheme | Marks | AO | Notes |
| :--- | :--- | :---: | :---: | :--- |
| 5(e) | H0: The normal distribution is a <br> suitable model <br> $\mathrm{H}_{1}:$ The normal distribution is not a <br> suitable model | B1 | 1.3 | oe Hypotheses, both |
|  | $\mathrm{df}=3$ <br> $\mathrm{cv}=7.815$ <br> or $p$-value $=0.00455$ | B1 | 1.3 | cv or awfw <br> -value $=0.004 \sim 0.005$ |
|  | $(13.04>7.815$ or 0.00455 <0.05) <br> Reject $\mathrm{H}_{0}$ | M1dep | 2.1 b | Comparison <br> dep B1 |
|  | There is sufficient evidence to <br> conclude that the normal <br> distribution is not a suitable model <br> for film running times. | E1dep | 2.1 a | Correct conclusion in <br> context <br> dep B1M1 |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 6(a) | (Sign test) | B1 | 2.1b | PI <br> sign test clearly used or stated <br> Implied by use of binomial e.g. $\mathrm{P}(X \leq 4)$ |
|  | [ $X=$ number of rounds with more blue winners than red winners] $X \sim \mathrm{~B}(20,0.5)$ | B1 | 2.1a | PI <br> use of $\mathrm{B}(20,0.5)$ <br> Condone $\mathrm{n}=21$ |
|  | $\begin{aligned} & \mathrm{H}_{0}: \mathrm{p}=0.5 \\ & \mathrm{H}_{1}: \mathrm{p} \neq 0.5 \end{aligned}$ | B1 | 1.3 | oe Condone 1-tail |
|  | $\mathrm{P}(X \leq 4)$ | M1 | 1.3 | oe <br> PI <br> Attempt to calculate $p$-value <br> Accept $\mathrm{P}(X \geq 16)$ <br> Or Attempt to find critical region |
|  | $=0.00591$ <br> or Critical region is $X \leq 5$ as $\mathrm{p}=0.021$ | A1 | 1.3 | awrt 0.0059 |
|  | $\begin{aligned} & 0.00591<0.025 \text { or } 4<5) \\ & \text { Reject } \mathrm{H}_{0} \end{aligned}$ | M1dep | 2.1b | Comparison <br> Condone compared to 0.05 if 1-tailed hypotheses <br> Dep M1 |
|  | There is significant evidence that wearing red affects the success of (male) combatants. | E1dep | 2.1a | Dep A1M1 <br> Condone "There appears to be an advantage of wearing red (over blue) for the combatants." |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 6(b) | $\begin{aligned} & \mathrm{H}_{0}: \mu_{d}=0 \\ & \mathrm{H}_{1}: \mu_{d} \neq 0 \end{aligned}$ | B1 | 1.3 | oe Hypotheses re: population means e.g. $\mu_{\text {red }}=\mu_{\text {not red }}$ Condone 1-tail |
|  | $d=0.5,0.5,1,0.5,1.5$ | M1 | 1.3 | PI <br> Attempt at differences (signs may be all negative) |
|  | $\bar{d}=0.8 \quad s_{d}=0.4472$ | A1ft | 1.3 | PI mean and sd of their differences |
|  | $t s=\frac{0.8}{\left(\frac{0.4472}{\sqrt{5}}\right)}$ | M1 | 1.3 | PI <br> calculation of ts may be negative Allow their mean/sd or $0 \pm 2.776 \times \frac{0.4472}{\sqrt{5}}$ which scores the B1 for cv |
|  | $t=4.00$ | A1 | 1.3 | $\begin{aligned} & \text { awrt } 4.00 \\ & \text { or } \frac{\bar{d}}{\frac{0.472}{\sqrt{5}}}=2.776 \end{aligned}$ |
|  | $\begin{aligned} & (\mathrm{df}=4) \\ & \mathrm{cv}=2.776 \end{aligned}$ | B1 | 1.3 | Either correct cv (ignore sign) or $p$-value or $p$-value $=0.0161$ awfw 0.0159~0.0162 or $\bar{d}= \pm 0.555$ <br> Condone 1-tail $\mathrm{cv}=2.132$ if 1-tailed hypotheses |
|  | $4>2.776$ <br> Reject $\mathrm{H}_{0}$. | M1dep | 2.1b | PI <br> or $-4<-2.776$ <br> or $0.0161<0.025$ <br> or $0.8>0.555$ <br> dep A1B1 |


|  |  |  |  | Correct comparison |
| :--- | :--- | :--- | :--- | :--- |
|  | There is evidence at the 5\% <br> significance level that the success <br> of a football team is affected by <br> wearing red; (teams appear to do <br> better when wearing red.) | E1dep | 2.1a | oe full explanation in <br> context required for <br> E1 mark <br> dep A1B1 |
| SC Two sample t test max B1M0A0M1A0B1M1E0 <br> $\bar{d}_{\text {red }}=0.4, \bar{d}_{\text {not } \text { red }}=-0.4$ <br> $s_{p}=0.65$ <br> $\mathrm{t}=1.94$ |  |  |  |  |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 6(c) | Possible criticisms (not exhaustive) |  |  |  |
|  | Both (a) and (b) have very small samples |  |  | oe <br> Or either sample small |
|  | There is no evidence of randomisation in (b). |  |  | oe Or neither sample was selected at random. <br> "Football teams weren't randomly assigned to wear red or not red" |
|  | Fights in (a) not independent as same fighter may fight in red and in blue |  |  |  |
|  | Additional factors not taken into account e.g. relative strength of teams, ability of combatant |  |  | Blocking factors could be mentioned here |
|  | (a) only considers 2004 |  |  |  |
|  | (b) only considers Europe |  |  |  |
|  | All combat rounds not equally weighted |  |  |  |
|  | (a) only tests red against blue... |  |  |  |
|  | ...whereas (b) tests against many different colours, so the two tests are not providing consistent conclusions. |  |  |  |
|  | The $t$-test [in (b)] may not be appropriate because the (differences) may not be normally distributed. |  |  | oe |
|  |  | $\begin{aligned} & \text { E1, E1, } \\ & \text { E1, E1 } \end{aligned}$ | $\begin{aligned} & \text { 3.1a, } \\ & 3.1 \mathrm{a}, \\ & 3.1 \mathrm{a}, \\ & 3.1 \mathrm{a}, \end{aligned}$ | Any four distinct correct comments. |


| Question | Scheme | Marks | AO | Notes |
| :---: | :---: | :---: | :---: | :---: |
| 6(d) | The data in (a) and (b) is only about men's sport (so the results may not be applicable to women's sport). |  |  | oe <br> Accept "all data only about men" |
|  | The tests were about football and combat sports so results might not extend to netball |  |  |  |
|  | In both (a) and (b) it was found that the players wearing red did better (so it may be helpful to Charlottes team also). |  |  | oe <br> Accept "tests show playing in red helps" |
|  | Both of the studies in (a) and (b) were very small (so it might not be worth paying for red kit without further evidence). |  |  | oe <br> reference to limited size of evidence <br> Accept "sample sizes are too small" |
|  | Neither study was conclusive that the effect found was due to wearing red. Effects could have been due to colours other than red (so it might not be worth paying for new kit without further evidence). |  |  | oe <br> reference to interpretation of evidence <br> Accept "no evidence found of causation/causal effect of red on success" |
|  | The assumptions of the tests used in this research may not be true(so Charlotte shouldn't spend money on new kit without better evidence). |  |  | oe |
|  | The tests in (a) and (b) were two tailed, so we only have evidence that red is a difference not an improvement |  |  |  |
|  |  | E1, E1 | $\begin{aligned} & 3.1 \mathrm{~b}, \\ & 3.1 \mathrm{~b} \end{aligned}$ | Any two distinct comments |

SC if concluded that there was no difference in (a) or (b) may earn one mark for a relevant comment

