| Surname |
| :--- |
| First name(s) |


| Centre <br> Number |
| :--- | | Candidate <br> Number |
| :---: |
| 0 |

## GCSE



## TUESDAY, 5 NOVEMBER 2019 - MORNING

MATHEMATICS - Component 1
Non-Calculator Mathematics FOUNDATION TIER

## 2 hours 15 minutes

## ADDITIONAL MATERIALS

The use of a calculator is not permitted in this examination. A ruler, protractor and a pair of compasses may be required.

## INSTRUCTIONS TO CANDIDATES

Use black ink or black ball-point pen.
You may use a pencil for graphs and diagrams only.
Write your name, centre number and candidate number in the spaces at the top of this page.
Answer all the questions in the spaces provided.
If you run out of space, use the continuation page(s) at the back of the booklet, taking care to number the question(s) correctly.

## INFORMATION FOR CANDIDATES

You should give details of your method of solution when appropriate.
Unless stated, diagrams are not drawn to scale.
Scale drawing solutions will not be acceptable where you are asked to calculate.
The number of marks is given in brackets at the end of each question or part-question.
You are reminded of the need for good English and orderly, clear presentation in your answers.

| For Examiner's use only |  |  |
| :---: | :---: | :---: |
| Question | Maximum Mark | Mark Awarded |
| 1. | 6 |  |
| 2. | 3 |  |
| 3. | 2 |  |
| 4. | 4 |  |
| 5. | 4 |  |
| 6. | 8 |  |
| 7. | 6 |  |
| 8. | 7 |  |
| 9. | 6 |  |
| 10. | 5 |  |
| 11. | 4 |  |
| 12. | 5 |  |
| 13. | 6 |  |
| 14. | 7 |  |
| 15. | 7 |  |
| 16. | 2 |  |
| 17. | 6 |  |
| 18. | 4 |  |
| 19. | 3 |  |
| 20. | 6 |  |
| 21. | 4 |  |
| 22. | 3 |  |
| 23. | 3 |  |
| 24. | 7 |  |
| 25. | 2 |  |
| Total | 120 |  |

## Formula list

## Area and volume formulae

Where $r$ is the radius of the sphere or cone, $l$ is the slant height of a cone and $h$ is the perpendicular height of a cone:

$$
\begin{gathered}
\text { Curved surface area of a cone }=\pi r l \\
\text { Surface area of a sphere }=4 \pi r^{2} \\
\text { Volume of a sphere }=\frac{4}{3} \pi r^{3} \\
\text { Volume of a cone }=\frac{1}{3} \pi r^{2} h
\end{gathered}
$$

## Kinematics formulae

Where $a$ is constant acceleration, $u$ is initial velocity, $v$ is final velocity, $s$ is displacement from the position when $t=0$ and $t$ is time taken:

$$
\begin{gathered}
v=u+a t \\
s=u t+\frac{1}{2} a t^{2} \\
v^{2}=u^{2}+2 a s
\end{gathered}
$$

1. (a) Work out each of the following.
(i) $541+59$
[1]
.................................................................................................................................................................
$\qquad$
$\qquad$
$\qquad$
(ii) $350 \div 5$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(iii) $1.076-0.15$
$\qquad$
$\qquad$
(b) $526 \times 7.9=4155.4$

Use this information to work out $526 \times 79$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) Using numbers and symbols Anil correctly writes
minus one is greater than minus two.
Circle what Anil writes.
$-1 \leqslant-2 \quad-1 \geqslant-2 \quad-1>-2 \quad-1<-2 \quad-1=-2$
2. (a)


The diagram shows a fair spinner for a simple game.
Rhian needs to score 7 or more with a single spin to win the game.
On the probability scale below, mark with an arrow the probability that Rhian wins the game.

(b) Tomas is playing a game with a different fair spinner.

Here is the shape of his spinner.


The arrow on the probability scale below shows the probability that Tomas scores less than 4 with one spin.


Write five numbers on Tomas' spinner so that the scale is correct.
(c) Simon is playing a game.

The probability that he wins the game is 0.7 .
What is the probability that Simon does not win his game?
3. (a) Shade two more squares so that this shape has rotational symmetry of order 2.

(b) On the grid below, draw a triangle that is congruent to triangle $A$.

4. Ted is a salesman.

His pay is calculated using this formula.

$$
\text { Ted's pay }=100+\frac{\text { value of Ted's sales }}{5}
$$

(a) One week the value of Ted's sales was $£ 800$.

What was Ted's pay for this week?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Ted's pay $£$
(b) The next week Ted’s pay was $£ 400$.

What was the value of Ted's sales for this week?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Value of Ted's sales $£$
5. (a) Here is a number machine.

(i) The input is 10 .

What is the output?
$\qquad$
(ii) The input is $4 \cdot 5$.

What is the output?
$\qquad$
$\qquad$
(iii) The output is -3 .

What is the input?
$\qquad$
(b) Here is a different number machine.


Circle the rule shown by this number machine.

$$
2 x-3=y \quad \frac{x}{2}+3=y \quad x=\frac{y}{2}+3 \quad x=2 y-3 \quad \frac{x+3}{2}=y
$$

6. (a) The table shows the number of road closures in Hayshire during 6 months of 2018.

| March | April | May | June | July | August |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 14 | 15 | 22 | 21 | 12 | 18 |

For these six months, calculate each of the following.
(i) The range of the number of road closures.
$\qquad$
$\qquad$
Range
(ii) The mean number of road closures per month.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Mean
(b) The table shows the populations of some places in Hayshire at the end of 2018.

| Place | Population |
| :--- | :---: |
| Tanham | 12212 |
| Copley | 4658 |
| Pinestow | 619 |
| Elmvale | 3600 |

(i) Write the populations in order of size.

Start with the smallest.
$\qquad$
$\qquad$

## Smallest

(ii) The population of Elmvale is predicted to be 4700 by the end of 2019.

To work out the number of houses to build for the extra people, the builders use the rule:

Build one house for every 4 extra people.
How many houses should they build?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
7. (a) For five days in winter, the lowest temperature in Downdale was recorded. This information is shown in the table.

| Day | Monday | Tuesday | Wednesday | Thursday | Friday |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Temperature in ${ }^{\circ} \mathrm{C}$ | 2 | 0 | -6 | -4.5 | -2 |

(i) Which day was the coldest?
(ii) Work out the difference between the lowest temperature on Monday and the lowest temperature on Thursday.
$\qquad$ ${ }^{\circ} \mathrm{C}$
(iii) On Saturday, the lowest temperature was $3^{\circ} \mathrm{C}$ colder than it was on Friday. What was the lowest temperature on Saturday?
(b) This conversion graph may be used to change between temperatures in degrees Celsius ( ${ }^{\circ} \mathrm{C}$ ) and temperatures in degrees Fahrenheit ( ${ }^{\circ} \mathrm{F}$ ).

(i) Use the graph to change $50^{\circ} \mathrm{F}$ to ${ }^{\circ} \mathrm{C}$.
$\qquad$ ${ }^{\circ} \mathrm{C}$
(ii) Use the graph to change $-5^{\circ} \mathrm{C}$ to ${ }^{\circ} \mathrm{F}$.
${ }^{\circ} \mathrm{F}$
(iii) One day it is $18^{\circ} \mathrm{C}$ in Bristol and $67^{\circ} \mathrm{F}$ in New York.

Is Bristol warmer than New York on this day?


Show how you decide.
8. (a)


Rosie buys two Deluxe tablets from Tablets Online and has them delivered.
How much does Rosie pay?
(b)


Jim bought a laptop from The Laptop Store.
He paid his deposit and the rest of the cost in 4 payments of $£ 108$.
How much did Jim pay for his laptop in total?
9. A health food shop sells food supplements.
(a) Vitamin tablets are sold in two different size bottles.


Which bottle is better value for money?


Show how you decide.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(b) Calcium tablets are sold in small boxes measuring 8 cm by 3 cm by 5 cm .

The supplier packs the small boxes into large boxes measuring 40 cm by 60 cm by 10 cm . There are no gaps in the large box when it is full.

The health food shop orders a full large box containing a total of 3600 calcium tablets.
How many tablets are there in one small box?

tablets in one small box
10. The graph shows the sunrise and sunset times on the 1st day of each month in London in 2018.

Sunrise and Sunset Times, London, 2018

Jan Feb Mar Apr May Jun Jul Aug Sep Oct Nov Dec
(a) What was the sunrise time on 1st December 2018?
(b) Use the graph to estimate the sunset time on 15th April 2018.
$\qquad$
$\qquad$
(c) The amount of daylight is the difference between the sunrise and sunset times.
(i) On the 1st of which month was the amount of daylight the greatest?
$\qquad$
(ii) How many hours and minutes of daylight were there on this day?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
hours minutes
11. Anisha wants to compare the number of days it rained each month, in Anstown and Beeham, in 2018.
(a) Anisha has plotted the data for the first 6 months on the scatter graph below.

Anstown and Beeham monthly rainfall comparison

Number of days it rained: Beeham


The data for the last 6 months is given in the table.

| Number of days it rained: Anstown | 4 | 9 | 8 | 13 | 14 | 15 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Number of days it rained: Beeham | 7 | 9 | 6 | 10 | 12 | 13 |

Plot the data for the last 6 months on the scatter graph above.
(b) What does your scatter graph show about the relationship between the number of days it rained in Anstown and the number of days it rained in Beeham?
$\qquad$
$\qquad$
$\qquad$
(c) Use the scatter graph to find how many months it rained on 11 days or more in both Anstown and Beeham?
$\qquad$
$\qquad$
12. The diagram shows the position of two aeroplanes, $P$ and $Q$. There is a radar station at $R$.
The scale is 1 cm represents 0.5 km .


Scale: 1 cm represents 0.5 km
(a) $R$ is nearer to $Q$ than it is to $P$.

How much nearer?
$\qquad$
$\qquad$
(b) Measure and write down the bearing of $R$ from $P$.
(c) There is an airport which is 2.5 km from $R$ and to the south-west of $Q$.

Mark the position of the airport with a cross on the diagram.
13. (a) Eva's grandchildren all live in Wales or Australia.
$\frac{2}{7}$ of her grandchildren live in Wales.
15 of her grandchildren live in Australia.
How many grandchildren does Eva have?
$\qquad$
$\qquad$
$\qquad$ grandchildren
(b) Eva lives in Wales.

When she goes to Australia for a visit, she always changes $£ 400$ into Australian dollars (A\$).

When she went in 2018, the exchange rate was $£ 1=\mathrm{A} \$ 1.70$.
When she went in 2016, the exchange rate was $£ 1=\mathrm{A} \$ 2.00$.
How many more Australian dollars did Eva receive in 2016 than she did in $2018 ?$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
14. The organiser of a teachers' conference provided a buffet lunch made by a catering service.
(a) The catering service made a total of 560 cups of tea and coffee. These were served in the ratio $5: 3$ respectively.

The catering service billed the conference organiser $£ 1$ for each cup of tea and $£ 1.50$ for each cup of coffee served.

How much was the total bill for the tea and coffee?
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Total bill for tea and coffee $£$
(b) The buffet food was placed on 3 large tables, one for meat, one for vegetarian and one for vegan dishes.
Teachers chose their food from one of these tables.
The numbers of teachers per minute who chose food from the table of meat dishes and the table of vegetarian dishes is shown below.

| Table | Meat | Vegetarian | Vegan |
| :--- | :---: | :---: | :---: |
| Number of teachers per minute | 8 | 4 |  |

After 5 minutes, 95 teachers had chosen their food.
How many teachers per minute chose their food from the table of vegan dishes?
You may assume that the teachers chose their food at a constant rate.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
teachers per minute
15. (a) There are 45 swimmers in Top Swim club.

All swimmers are learning butterfly and backstroke and are asked which they prefer.

- $\frac{3}{5}$ of all swimmers prefer backstroke.
- The number of juniors is double the number of seniors in the club.
- $\frac{1}{6}$ of the juniors prefer butterfly.

Work out the proportion of swimmers who are seniors and prefer backstroke. You may use the table to help you.

|  | Prefer to swim |  | Total |
| :---: | :---: | :---: | :---: |
|  | Butterfly | Backstroke |  |
| Seniors |  |  |  |
| Juniors |  |  |  |
| Total |  |  | 45 |

Proportion
(b) The Sharks club has two types of membership: swimmers or divers.

The ratio of swimmers to divers is $8: 3$.
18 members of the club are divers.
How many members does The Sharks club have?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
16. Make $x$ the subject of the following formula.

$$
y=\frac{x+3}{4}
$$

Examiner
17. (a) (i) Write $4.8 \times 10^{-3}$ as an ordinary number.

(ii) Work out the value of $\left(2.5 \times 10^{20}\right)+\left(9 \times 10^{20}\right)$.
Give your answer in standard form.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(b) In 2018, the total volume of ice in the Greenland ice sheet was $2.99 \times 10^{6} \mathrm{~km}^{3}$. The total surface area of the ice sheet was $1.799 \times 10^{6} \mathrm{~km}^{2}$.

Assuming that the depth of the ice was constant for the whole ice sheet, estimate the depth of the ice in 2018.
You must state the units of your answer.
18. Gita is carrying out a survey to find out what people think of a proposed new road for Redville.
(a) Gita decides to ask the first 20 people she meets at Redville bus station between 8 a.m. and 9 a.m. on a Monday morning.

Give two reasons why this plan is unlikely to produce reliable results.
Reason 1:

Reason 2:
(b) Here is a question from Gita's survey:


Make two criticisms of Gita's question.
Criticism 1:

Criticism 2:
19. The diagram shows a cylinder.


Diagram not drawn to scale
On the 1 centimetre grid below, draw accurately:

- the plan of the cylinder,
- the side elevation of the cylinder.


## Plan

$\qquad$

Side elevation
20. Huw has a maths test.
(a) For the first question, Huw divides 752 by a whole number.

His answer, which is correct, is 25 remainder 27.
What whole number did Huw divide by?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(b) The second question is:

```
The only food provided for guests at Seaview Hotel is
breakfast. The hotel has enough food to make breakfast for
20 guests for 6 days.
How long would the food last 30 guests?
You may assume each guest eats the same amount of food
for breakfast.
```

Here is Huw's working.

(i) Without working out the correct answer, explain why Huw's answer of 9 days is incorrect.
(ii) Work out the correct answer.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
21. Shania has two pieces of ribbon.

One piece is $5 \frac{1}{4}$ metres long.
The difference between the lengths of the two pieces is $2 \frac{9}{20}$ metres.
Work out the two possible lengths of the other piece of ribbon. Give each of your answers as a mixed number in its simplest form.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
22.


Diagram not drawn to scale

Find the value of $x$.
You must show all your working.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$x=$
23.


The diagram shows the graph of a straight line, $A B$.
Find the equation of this line.
Give your answer in the form $y=m x+c$.

$$
y=
$$

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(b) Solve the following simultaneous equations.

$$
\begin{array}{r}
2 x+y=8 \\
x-y=1
\end{array}
$$

(c) Represent the inequality $-2 \leqslant x \leqslant 3$ on the number line below.

(d) Solve $\frac{2 x}{3}<4$.
25. The diagram shows a dartboard with 4 sectors of equal size.


Sanjeev throws 3 darts which all hit this dart board.
Each dart is equally likely to hit any sector of the dart board.
He multiplies his three numbers to find his score.
Work out the probability that his score is an odd number.
$\qquad$
$\qquad$
$\qquad$

For continuation only.

## For continuation only.

For

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