



GCSE MARKING SCHEME

SUMMER 2022

GCSE MATHEMATICS – COMPONENT 2 (HIGHER TIER) C300UB0-1

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INTRODUCTION

This marking scheme was used by WJEC for the 2022 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

EDUQAS GCSE MATHEMATICS

SUMMER 2022 MARK SCHEME

Component 2: Higher Tier	Mark	Comment
1.* Mid-points: 45, 75, 105, 135, 165	B1	May be implied from correct totals, see below
$45 \times 9 + 75 \times 33 + 105 \times 38 + 135 \times 8 + 165 \times 2$	M1	FT 'their mid-points' provided at least 4 of these are at the bounds or within the groups 405 + 2475 + 3990 + 1080 + 330 (= 8280)
		 If mid-points are not given then no marks except for the following cases: B1 M0 for five correct products not added B1 M1 for five correct products in an addition B0 M1 for four correct products in an addition
÷ 90	m1	
92 (grams)	A1	FTcorrect evaluation using their mid-points Allow truncated or rounded decimal answers
2.*(a)	(4)	Must be in the correct order.
2:6:3	B2	B1 for any correct but unsimplified ratio e.g.1 : 3 : 1.5, 2x : 6x : 3x, 10 ; 30 :15
(b)	_	
3 11 oe	B1	FT 'their 3' and 'their 11' providing the numerator and denominator in the final fraction are integers FT allowed from non-numeric answers to (a)
		e.g. 6x : 2x : x leading to $\frac{1}{2}$
	(3)	<u>y</u>
3.* 10000 ÷ 1250 (= 8)	M1	
$35950 imes (1 - 0.18)^8$	M2	FT for possible M2 for sight of one of: • $35\ 950 \times (1 - 0.18)^{\text{their } 10\ 000 \div 1250'}$ • $35\ 950 \times 0.82^{\text{their } 10\ 000 \div 1250'}$
		May be seen in stages but the method must be seen and fully correct e.g. 8 stages with × 0.82 seen at each stage
		M1 for sight of $35950 \times (1 - 0.18)$ oe complete and correct method or sight of 29479
7348.69 or 7348.68() or 7348.7 or 7349 or 7350	A1	CAO A1 only from fully correct working.
(35950 - 7348.69 =)(£) 28601.31	B1	If M1 M2 A1, accept answer in range 28 600 to 28 602;
		FT 'their 7348.69' provided M1 M2 awarded
		If M1 M2 A1 B0 awarded, then award further SC1 for an answer of 79(.5)% or 80% decrease from $\left(\frac{35950 - 7348.69}{35950 - 7348.69} \times 100 =\right)$
	(5)	35950

4.* (a)		
42 260 or 42×6 or 360×0.7 of	M2	M1 for appropriate sight of $\frac{42}{60}$ or 0.7 oe
60 × 380 01 42 × 8 01 380 × 0.7 00		or 42 × 360 (= 15 120)
252(°)	A1	CAO
(b)(i) A valid assumption e.g. 'The wheel spins at a constant speed.' or 'The wheel is spinning at the same rate all the time'	E1	Allow e.g. 'Each turn takes the same amount of time' 'The wheel is spinning at the same speed' 'We do not know precisely how many degrees it turns in a second' 'The wheel turns every second' 'The wheel never stops and starts' 'The wheel is always spinning'. Allow answers that state that the timing must not vary e.g. 'Each second must be accurate' Do not allow, 'The wheel turns 252° each second'.
(b)(ii) A valid impact based on their valid assumption e.g. 'If it was spinning faster, it may have turned through more degrees' or 'If it was spinning more slowly, it may have	E1	If no valid assumption is made, then this mark cannot be awarded. Cannot award E0 E1. Allow e.g. 'My answer would be different.'
turned through fewer degrees.	(5)	
Q5.*(a)		
5 - 11 = 5x - 2x or $2x - 5x = 11 - 5x = -2$	B1 B1	FT from $ax = \pm 6$, $a \neq 1$ or $\pm 3x = b$ accept $\frac{\pm 6}{a}$ or $\frac{b}{\pm 3}$ but if on FT either simplifies to an integer the answer must be given as an integer. 'x =' can be omitted but must not be wrong if there.
(b)		Correct answer implies first B1.
8x-3x-1=2 or $8x = 2 + 3x + 1$ or better	B1	Expands the brackets
5x = 2 + 1 or better	B1	Only FT from $8x - 3x + 1 = 2$ to obtain 5x = 2 - 1 or better
$x = \frac{3}{5}$ or equivalent fraction	B1	FT answer of $\frac{1}{5}$ or equivalent fraction only
(c) Yes indicated and clear explanation e.g. '-1 should not be included.' 'x can only be 0, 1, 2 or 3' '1 < $-1 + 2 \le 5$ is incorrect' '1 < 1 ≤ 5 is incorrect'	E1	Yes may be implied if a box is not ticked Allow Yes with 'x can be 0, 1, 2 or 3'
(d) Empty circle at –2 with arrow right	B1	If a line not an arrow, then line must extend to near the end of the number line; must be no indication of termination on the right.
	(7)	

Allow answers in the range 17 to 17.4 Ignore additional comments if correct statement seen. Allow 'unlikely' with explanations that imply the use of the line of best fit e.g.
Ignore additional comments if correct statement seen. Allow 'unlikely' with explanations that imply the use of the line of best fit e.g.
'The temperature should have raised a lot more and be way past 52' 'The temperature is 51 degrees at 50 ' Do not allow e.g. 'The data is unreliable as it only goes to 50 seconds.'
Must be given as an equation. If B3 not awarded award one of the following: B2 for sight of $y = \frac{7}{10}x + c$ or gradient or $(m =) \frac{7}{10}$ B1 for sight of $y = mx + 15$ or $c = 15$ For B2 or B1, <i>m</i> or <i>c</i> in the equation could be algebraic or numeric
Allow explanations that consider both the steepness of the line and the variables, e.g. 'How steep the line is so as time increases so does temperature.' 'A change in temperature as the time goes up'. Do not allow, e.g. 'The steepness' 'As time increases temperature increases'
-

7.*		
(BC =) $4.8 \tan 57^{\circ}$ or $\frac{4.8}{\tan(180-90-57)}$	M2	M1 for $\tan 57^\circ = \frac{BC}{4.8}$ si or $\tan (180-90-57) = \frac{4.8}{BC}$ si
7.39 to 7.4 si	A1	CAO
(Area =) $\frac{1}{2} \times 7.39135 \times 4.8$	M1	FT ' $\frac{1}{2}$ × their derived $BC \times 4.8$ ' provided 'their
2		derived BC' is from use of trigonometry
17.7(392) (cm²)	A1	FT 'their derived BC'
		If correct, accept answer in range 17.7 to 17.8; accept 18 following correct working
Alternative (Higher tier) method 1		······································
$(BC =) \frac{4.8 \times sin \ 57}{sin(90-57)}$	М2	M1 for $\frac{BC}{sin57} = \frac{4.8}{sin(90-57)}$
7.39 to 7.4 si	A1	CAO
$(Area =) \frac{1}{2} \times 7.39135 \times 4.8$	M1	FT $\frac{1}{2}$ × their derived $BC \times 4.8$ ' provided 'their
2		derived BC' is from use of trigonometry
17.7(392) (cm²)	A1	FT 'their derived BC'
		If correct, accept answer in range 17.7 to 17.8; accept 18 following correct working
Alternative (Higher tier) method 2		,
Area of ABC = $\frac{1}{2} \times 4.8 \times AC \times sin57$	M1	Not awarded until AC= $\frac{4.8}{\cos 57}$ oe substituted.
(4.7.) 4.8		4.8
$(AC =) \frac{1}{\cos 57}$	<i>m</i> 2	$m1 \text{ for } \cos 57 = \frac{1}{AC}$
8.8 to 8.81(3) si	A1	CAO
Area of ABC = $\frac{1}{2} \times 4.8 \times 8.81 \times sin57$	A1	FT 'their derived AC'
=17.7(392) (cm ²)		If correct, accept answer in range 17.7 to 17.8; accept 18 following correct working
	(5)	
8. (Vol of whole choose $-$) $\pi \times 7^2 \times 5$	M1	
769.69 to 769.79	A1	Accept 245π
		Allow 770 from correct working
<u>154</u> (×100)	m1	ET 'their derived 760.60'
769.69		Award for $(1 - \frac{245\pi - 154}{1})$ (x 100) or equivalent
		Award for $(1 - \frac{245\pi}{245\pi})$ (x 100) of equivalent
20(%)	A1	
Alternative method:		
Angle of sector = $\frac{154}{\pi \times 7^2 \times 5} \times 360$	M1	
72.(0)	A1	May be embedded in further work
$\frac{72}{360}$ (× 100)	m1	FT 'their derived 72°
20(%)	A1	
	(4)	

0		
9. 27 × 1.5 oe	M1	Allow 27 × 1.3
40.5	A1	CAO May be implied in total distance (51) later.
$\frac{1.5+40.5+9}{0.75+1.5+1} \qquad \left(=\frac{51}{3.25}\right)$	m1	Must be using km and hours FT 'their 40.5' 1.5 + their 40.5 + 9
		Allow m1 but AO for
15.6(9) or 15.7 km/h (< 16.1 km/h)	A1	FT provided the answer is less than 16.1
$\frac{Alternative method 1 for final 2 marks}{(winning time =)} \frac{1.5+40.5+9}{16.1} oe$	m1	FT 'their 40.5' including the correct use of 1.3 hours
3.1(6) (hours) < 3.25 (hours)	A1	A0 unless the 3.25 hours seen
<u>Alternative method 2 for final 2 marks</u> (Possible distance travelled by winner =) 16.1 × 3.25 AND (Length of race =) 1.5 + 40.5 + 9 52(.325 (km) > 51 (km)	m1 A1	FT 'their 40.5'
	(4)	
10. Correct perpendicular bisector construction of SR with appropriate arcs	B2	B1 for perpendicular bisector within tolerance $(\pm 2^\circ, \pm 2mm)$ without arcs or with invalid arcs
Correct perpendicular to the path through Y with appropriate arcs	B2	B1 for perpendicular though Y within tolerance $(\pm 2^\circ)$ without arcs or with invalid arcs
Correct angle	B1	FT provided at least B1 B1 awarded tolerance (\pm 2°); if correct 34°, allow e.g. 034°
	(5)	
11. (a) Enlargement, centre (4, 5), sf ½	B2	B1 for any 2 correct elements Allow from point (4, 5)
(b) Triangle with vertices (-4, -3), (-8, 5), (-2, 3)	B2	Allow a good freehand; ignore labels
		B1 for a triangle with 2 correct vertices or for all 3 correct vertices plotted but not joined
		OR for an enlargement with scale factor -1 , with correct orientation with incorrect placement e.g. use of centre (3, 0) leading to triangle with vertices (4, -3), (-2 , -1), (2 , -9)
		If no marks, award SC1 for a correct enlargement of PQR with scale factor -1 and centre $(0, 3)$: $(-3, 2), (-6, 3), (-4, -1)$
	(4)	

12. (a) 215	B1	
(b)		
$2n^2 + 1$ oe	B2	B1 for sight of $2n^2$
	(3)	
13.		If a mixture of methods is employed, use the one that awards marks to the candidates advantage.
(Density of copper =) $\frac{2150.4}{240}$	M1	
8.96 or 9 (g/cm ³)	A1	
(mass of sphere =) $\frac{4}{3}\pi x^3 \times 8.96$	m1	FT 'their 8.96'
$37(.5)x^3 (< 38x^3)$	A1	Allow answers in the range $37(x^3)$ to $37.7(x^3)$ from correct working.
Alternative method 1:		
(For equal volumes) $x^3 = 240 \times \frac{3}{4} \div \pi$	М1	Allow for $240 = \frac{4}{2} \times \pi \times x^3$
= 57.29	A1	Allow answers in the range 57.28 to 57.9 May be seen in later working
EITHER (For equal mass multiplier of $x^3 =$) 2150 ÷ 57.29	<i>m</i> 1	
= 37.53(and less than 38)	A1	
Alternative method for the last two marks		
OR (If multiplier of $x^3 = 38$, mass =)		
38 × 57.29	m1	
= 2177(.2g.) AND this is greater than 2150.4g	A1	
Alternative method 2:		
(Density of copper =) $\frac{2150.4}{240}$	M1	
8.96 or 9 (g/cm ³)	A1	
$\frac{4}{3}\pi \times k = 38 $ si	M1	
k = 9.07 (and it is less than this so mass is	A1	
	(4)	
14. $3125x^{10}y^{-1}$ or $\frac{3125x^{10}}{2}$	B3	Mark final answer. Must be a single expression
у у		B2 for any one of
		 any two elements of the product correct
		e.g. $5^5 x^{10} y^{-1}$ or $\frac{3125 x^{-4}}{y}$
		 a correct answer seen then spoiled
		B1 for one of:
		any one element of the product correct
		e.g. $25x^{10}y$
		 sight of 5⁵x¹⁰y⁵ or 3125x¹⁰y⁵ in working (from correct expansion of the bracket)
	(3)	

15.(a) No seen or implied and $275 \times 3 \text{ or } 900 \div 275$ or $900 \div 3 \text{ and } 275 \text{ seen}$	M1	Allow use of 274.9 or 274.999 but not 274.9 or 274.99
Sight of 825 or 3.2(727) and No indicated	A1	Allow 3 × 275 < 900 and No indicated
(b) 367.5 – 152.5 – 87.5	M2	 M1 for one of: a calculation (min – max – max) with all values in the ranges 365 < a < 370, 150 < b < 155, 85 < c < 90 e.g. 367.5 –152.5 –86.5 or 369 –152.5 –87.5 a calculation with two correct values and the third in the ranges 365 ≤ a < 375, 145 < b ≤ 155, 80 < c ≤ 90 e.g. 367.5 –152.5 – 82.5 or 365 -152.5 – 87.5 Allow M1 for 365 – 155 – 90 or 365 – 245 (= 120) If no marks award SC1 for sight of 152.5, 87.5 and 367.5
127.5 (grams)	A1	CAO
	(5)	

16. (a)(i)		
Mark f cf		
$0 0 0$		
20 < p ≤ 40 3 3	R1	
40 < p ≤ 60 20 23		
$60 15 38$		
$80 \le p \le 100$ 7 45		
(a)(ii)	F 4	Alleur velid evelopetions have done OO 5th terms
Valid explanation e.g.	El	Allow e a
		'23 people less than or equal to 60 and 22 people
		above 60
		Must say more than '60 is in the middle group.'
		FT 'their 45' providing from one error in arithmetic
(h)(i)		oniy
Correct box plot	B3	B2 for complete box plot with four correct values
Left whisker 23, LQ 49, median 60, UQ 75	20	
and right whisker 99		B1 for any three values correctly plotted in a box
		plot or for maximum of 99 seen but not drawn on
Group A		box plot.
Group B		
(h)(ii)		
Valid comment comparing medians e.g.	E1	Must be a comparison not simply a comment
'On average, Group A did better than Group		about one group
B as the median was 60 whereas Group A's		Allow e.g. 'Group A had a higher median (so did
median was 58' or 'The medians are similar		better on average)'.
so there is not much difference between the		Group A had a higher average of 60' as clearly
		using the median as the average.
		Do not allow e.g.
		'Group A had a median of 60 and Group B had a
		median of 58.' (no comparison)
		explanation
		'On average Group A were better'. (no reference
		to median or comparison of values).
Valid comment comparing IQRs or ranges	E1	Must be a comparison not simply a comment
e.g.		about one group
Group A's as the IOR was 20 which was		'Group B's marks were more consistent as the
less than Group A's which was 26' or		IQR is smaller'
'Group B's results were more consistent		Do not allow e.g. 'Group A had a range of 76 and
than Group A's as the range was 43		Group B had a range of 43.' (no comparison)
compared to Group A's range of 66.'		Do not allow if values contradict the statement
		e.g. Group B has lower range, only 20 but A's range is 26' need IOR not range here
	(7)	Tange is 20 Treed rent not fallye here.
	(1)	

17. Lines $x = -2$ AND $y = 5$ drawn correctly	B1	Allow solid or dotted lines for the first 3 marks If more than one horizontal or vertical line drawn the correct line must be indicated. e.g. B0 if $x = -2$, $y = 5$ and $x = 2$ drawn unlabelled
Line $y = 3 - 2x$ drawn correctly	B1	
Line $y = x + 2$ drawn correctly	B1	
Region indicated with correct marking of boundaries	B1	y = 3 - 2x must be shown as dotted or indicated that it is not included, and the other lines must be solid and not dotted.
		FT 'their 4 lines' provided at least B2 previously awarded, solid lines used except for 'their $y = 3 - 2x$ '.
	(4)	
$ \begin{array}{c} 18. (a) \\ \frac{33}{70} \text{ oe } \\ \text{ISW} \end{array} $	B1	Allow B1 for 0.47(142) or 47(.142)%
$\frac{31}{64}$	B2	Allow B2 for 0.484(375) or 48.4(375)% B1 for sight of $\frac{a}{64}$ with a < 64 or $\frac{31}{4}$ with 31 < b \leq 70.
		<i>b</i> ISW for incorrectly simplifying their fraction
	(3)	
19(a) (gradient =) -4	B1	May be seen as: y = -4x + c or $4x = c - y$ where c may be numeric but $c \neq 5$
-1 = -4(1) + c or 4(1) = c - (-1) oe	M1	FI 'their –4'
y = -4x + 3 or $y = 3 - 4xy = -4x + 5$ is B0 M0 A0 (the original) y = -4x - 3 probably from using (-1, 1) check B1 M0 A0	A1	CAO If gradient of 4 used, award M1 and SC1 for an answer of $y = 4x - 5$ if appropriate working seen
(b) y = 5x + 7 oe	B2	B1 for gradient = 5, may be seen in an equation e.g. $y = 5x + c$
	(5)	

20. (a) $R \propto P\left(1 - \frac{P}{100}\right)$ or $R = kP\left(1 - \frac{P}{100}\right)$	M1	Allow for $R \propto kP \left(1 - \frac{P}{100}\right)$
$0.02 = 50k \left(1 - \frac{50}{100}\right) \text{oe}$	M1	Award of this M1 implies the previous M1
$R = 0.0008P\left(1 - \frac{P}{100}\right)$ or	A1	$k = 0.0008 \text{ or } \frac{1}{1250}$ only
$R = \frac{P}{1250} \left(1 - \frac{P}{100} \right)$ oe		Do not allow e.g. $R \propto 0.0008P \left(1 - \frac{P}{100}\right)$ Mark final answer but allow the mark for sight of the correct equation in (b)
(b) (0.0008 ×) $P\left(1 - \frac{P}{100}\right) = 0$ or better	M1	Must see an equation used here FT 'their equation' of the form $R = kP\left(1 - \frac{P}{100}\right)$ but allow $P\left(1 - \frac{P}{100}\right) = 0$
P = 100	A1	Ignore P =0 if P = 100 given.
	(5)	
21.(a)		
40320	B2	B1 for $8 \times 7 \times 6 \times 5 \times 4 \times 3 \times 2$ (× 1) or 8!
(b) 720 or $\frac{1}{8} \times \frac{1}{7}$	B2	B1 for $(1 \times 1 \times) 6 \times 5 \times 4 \times 3 \times 2 (\times 1)$ or 6! B1 for sight of $\frac{1}{8}$ and $\frac{1}{7}$ oe only
$\frac{720}{40320}$ or $\frac{1}{56}$ oe	B1	ISW
		FT ' their derived 720 their derived 40320 ' providing at least B1 previously awarded in both (a) and (b).
	(5)	×
22.(a) 0.5 ³ + 0.5 - 1 (= -0.375) < 0 AND 0.75 ³ + 0.75 - 1 (= 0.171875) > 0 OR	B2	Allow rounded or truncated values, but must show or indicate a sign change convincingly
$1^3 + 1 - 1 (= 1) > 0$ AND 0.75 ³ + 0.75 - 1 (= 0.171875) > 0		B1 for any one of: $0.5^3 + 0.5 - 1 < 0$ $0.75^3 + 0.75 - 1 > 0$ $1^3 + 1 - 1 > 0$
(b) 0.625	B1	0.625 must be written in the answer space or the interval 0.625 to 0.75 clearly implied
(c) Uses 0.6875 leading to interval (0.625, 0.6875)	M1	
Uses 0.65625 leading to interval (0.65625, 0.6875) and correct conclusion	A1	Allow the A1 if they continue with more intervals or fail to conclude with $x = 0.7$ to 1d.p.
	(5)	

23. (a)		
$\frac{9}{1}$	B1	Allow $\frac{7}{2}$ + 5
$\frac{4-x}{(b)}$		X
9 7	N/4	ET their $\frac{9}{2}$, provided of the form a
$\frac{1}{4-x} = \frac{1}{x} + 5 \text{ Ge}$	IVIT	Final theory $\frac{1}{4-x}$ provided of the form $\frac{1}{bx+c}$
		Equates correct or correct FT expressions
9x = 7(4 - x) + 5x(4 - x) oe	m1	Clears fractions e.g. $9x = (7+5x)(4-x)$;
		may be in stages
$9x = 28 - 7x + 20x - 5x^2$ oe	m1	Multiplies out
$9x = 28 + 13x - 5x^2$ oe	m1	Collects terms on RHS oe
Correct completion to given answer	A1	Not from wrong working
$5x^2 - 4x - 28 = 0$		
(c)		
(5x-14)(x+2)	M2	M1 for (5 <i>x</i> 14)(<i>x</i> 2) Must be seen
x = 2.8 (or $x = -2$)	A1	CAO Allow if working solution seen in (b) and not
		contradicted in (c).
		Using trial and improvement
		Award B3 for a method leading to both solutions,
		namely $x = -2$ AND $x = 2.8$, otherwise B0.
$\begin{pmatrix} 7 \end{pmatrix}$	5.	
$\left(\frac{1}{2.8}\right)(1)(2.50)$	B1	F1 'their derived positive value of <i>x</i> providing two solutions with one positive and one negative si
		Allow this mark if the quadratic has been solved on the calculator (M0 A0 previously awarded).
Alternative method:		
$r = \frac{-(-4) \pm \sqrt{(-4)^2 - 4 \times 5 \times -28}}{\sqrt{(-4)^2 - 4 \times 5 \times -28}}$ or	M1	Must be seen; allow one slip in substitution for M1 m0 A0: formula must not be clearly incorrect.
2×5		
		If the $-(-4)$ not clearly included in the fraction then M0 unless corrected later.
		Award M1 mo A0 for missing brackets on the -4^{-1} unless corrected but allow use of 4^{2} .
		Allow attempt to complete the square with at
		most one slip
$x = \frac{4 + \sqrt{576}}{4 + \sqrt{576}}$ (or $x = \frac{4 - \sqrt{576}}{4 + \sqrt{576}}$) oe	m1	
10 10 10	Δ1	CAO
x - 2.0 (01 x2)		Allow is working solution seen in (b) and not
		contradicted in (c)
$\begin{pmatrix} 7 \end{pmatrix}$		
$\left \left(\frac{1}{2.8}\right)^{(\pm)2.5(0)}\right $	В1	\vdash Their derived positive value of x', providing two solutions with one positive and one negative
		si
		Allow this mark if the quadratic has been solved
		on the calculator (M0 A0 previously awarded)
	(10)	

$sin() = 0.7 \frac{45.0 \times 2}{12.5 \times 9.4}$ oeM2M1 for $\frac{1}{2} \times 12.5 \times 9.4 \times sin ABC = 45.0$ oeABC = 49.9(922)° (= 50°)A1If M0 awarded, then: SC2 for $\frac{1}{2} \times 12.5 \times 9.4 \times sin 50 = 45(.005)$ or SC1 for $\frac{1}{2} \times 12.5 \times 9.4 \times sin 50 = 45(.005)$ or SC1 for $\frac{1}{2} \times 12.5 \times 9.4 \times sin 50$ Alternative method for the first 3 marks (Perp height from C to AB =) $45 \times 2 \div 12.5$ oeM1 $ABC = \frac{7.2}{9.4}$ $ABC = 49.9(922)° (= 50°)$ M1 $AC = \sqrt{12.5^2 + 9.4^2 - 2}$ (12.5)(9.4)cos50M2 $Accept answers in range \sqrt{93.2} to \sqrt{93.6}AC = 9.67 to 9.7 (cm) siA1AIlow 10 cm from correct workingAllow A1 for \sqrt{93.2} to \sqrt{93.6}AI = \frac{9.67 \times sin 85}{10.2} (=0.9446) oeM2Accept answers in range 70.8° to 71.33°A1CAO(9)$	24.		Degree symbol may be omitted throughout
ABC = 49.9(922)° (= 50°) A1 If M0 awarded, then: SC2 for $\frac{1}{2} \times 12.5 \times 9.4 \times \sin 50 = 45(.005)$ or SC1 for $\frac{1}{2} \times 12.5 \times 9.4 \times \sin 50$ Alternative method for the first 3 marks (Perp height from C to AB =) M1 $45 \times 2 \div 12.5$ oe M1 $sin ABC = \frac{7.2}{9.4}$ M1 $ABC = 49.9(922)° (= 50°)$ A1 $AC = \sqrt{12.5^2 + 9.4^2 - 2(12.5)(9.4)\cos 50}$ M2 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ M1 for $AC^2 = 12.5^2 + 9.4^2 - 2(12.5)(9.4)\cos 50$ AC = 9.67 to 9.7 (cm) si A1 Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ Sin $ADC = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe M2 FT 'their 9.67' M1 for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° A1	$\sin() = 0.7 \frac{45.0 \times 2}{12.5 \times 9.4}$ oe	M2	M1 for $\frac{1}{2} \times 12.5 \times 9.4 \times \sin ABC = 45.0$ oe
Alternative method for the first 3 marks (Perp height from C to $AB =$) $45 \times 2 \neq 12.5$ oe $\sin ABC = \frac{7.2}{9.4}$ M1 Allow for appropriate sight of 7.2 (cm) $AI = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M1 Allow for appropriate sight of 7.2 (cm) $AC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ $AC = 9.67$ to 9.7 (cm) si A1 Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ $AC = 9.67$ to 9.7 (cm) si A1 $AI = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe M2 $AC = 10.2$ FT 'their 9.67' $M1$ for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° A1 CAO (9)	ABC = 49.9(922)° (= 50°)	A1	If M0 awarded, then:
Alternative method for the first 3 marks (Perp height from C to $AB =$) $45 \times 2 \div 12.5 \text{ oe}$ M1 $ABC = \frac{7.2}{9.4}$ Allow for appropriate sight of 7.2 (cm) $AIC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 A1 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ $AC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 A1 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ $AC = 9.67$ to 9.7 (cm) si A1 Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ $ADC = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe M2 M2 FT 'their 9.67' M1 for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° A1 CAO			SC2 for $\frac{1}{2} \times 12.5 \times 9.4 \times \sin 50 = 45(.005)$
Alternative method for the first 3 marks (Perp height from C to AB =) $45 \times 2 \div 12.5$ oe M1 $ABC = \frac{7.2}{9.4}$ M1 $ABC = 49.9(922)^{\circ} (= 50^{\circ})$ A1 $AC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ M1 for $AC^2 = 12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50$ AC = 9.67 to 9.7 (cm) si $AC = 9.67 \text{ to } 9.7 (cm) \text{ si}$ $AIC = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe M2 Accept answers in range 70.8° to 71.33° A1 Allow 10 cm M2 FT 'their 9.67' M1 for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° A1			or SC1 for $\frac{1}{2} \times 12.5 \times 9.4 \times \sin 50$
$\begin{array}{l c c c c c c c c c c c c c c c c c c c$	Alternative method for the first 3 marks		
$\sin A\hat{B}C = \frac{7.2}{9.4}$ $A\hat{B}C = 49.9(922)^{\circ} (= 50^{\circ})$ $A1$ $AC = \sqrt{12.5^{2} + 9.4^{2} - 2(12.5)(9.4)\cos 50}$ $AC = 9.67 \text{ to } 9.7 \text{ (cm) si}$ $AC = 9.67 \text{ to } 9.7 \text{ (cm) si}$ $A\hat{D}C = \frac{9.67\times\sin 85}{10.2} (=0.9446) \text{ oe}$ $A1$ $A1$ $A1$ $A1$ $A1$ $A1$ $A1$ $A1$	(Perp height from C to $AB =$) 45 x 2 \div 12 5 oe	M1	Allow for appropriate sight of 7.2 (cm)
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	7.2		
$A\hat{B}C = 49.9(922)^{\circ} (= 50^{\circ})$ A1 $AC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 $Accept answers in range \sqrt{93.2} to \sqrt{93.6}$ $M1$ for $AC^2 = 12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50$ $implied$ by 93.2 to 95.6 $AC = 9.67$ to 9.7 (cm) si $A1$ $Allow 10$ cm from correct working $Allow A1$ for $\sqrt{93.2}$ to $\sqrt{93.6}$ $Sin A\hat{D}C = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe $M2$ FT 'their 9.67' $M1$ for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° $A1$ CAO	$\sin ABC = \frac{1}{9.4}$	M1	
$AC = \sqrt{12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50}$ M2 Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$ $AC = 9.67$ to 9.7 (cm) si M1 for $AC^2 = 12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50$ $AC = 9.67$ to 9.7 (cm) si A1 $sin ADC = \frac{9.67 \times sin 85}{10.2}$ (=0.9446) oe A1 Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ M2 FT 'their 9.67' M1 for $\frac{9.67}{sin ADC} = \frac{10.2}{sin 85}$ oe Accept answers in range 70.8° to 71.33° A1 CAO (9)	$A\widehat{B}C = 49.9(922)^{\circ} (= 50^{\circ})$	A1	
AC = 9.67 to 9.7 (cm) si A1 Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ sin ADC = $\frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe M2 FT 'their 9.67' sin ADC = $\frac{10.2}{\sin 85}$ oe Accept answers in range 70.8° to 71.33° A1 CAO	$AC = \sqrt{12.5^2 + 9.4^2 - 2(12.5)(9.4)\cos 50}$	M2	Accept answers in range $\sqrt{93.2}$ to $\sqrt{93.6}$
AC = 9.67 to 9.7 (cm) siA1Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$ $sin ADC = \frac{9.67 \times sin 85}{10.2}$ (=0.9446) oeM2FT 'their 9.67' $M1$ for $\frac{9.67}{sin ADC} = \frac{10.2}{sin 85}$ oeAccept answers in range 70.8° to 71.33°A1CAO			M1 for $AC^2 = 12.5^2 + 9.4^2 - 2 (12.5)(9.4)\cos 50$ implied by 93.2 to 95.6
$\sin A\widehat{D}C = \frac{9.67\times \sin 85}{10.2} (=0.9446) \text{ oe} \qquad M2 \qquad FT \text{ 'their } 9.67' \\ M1 \text{ for } \frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85} \text{ oe} \\ Accept \text{ answers in range } 70.8^{\circ} \text{ to } 71.33^{\circ} \qquad A1 \qquad CAO \qquad (9)$	AC = 9.67 to 9.7 (cm) si	A1	Allow 10 cm from correct working Allow A1 for $\sqrt{93.2}$ to $\sqrt{93.6}$
Accept answers in range 70.8° to 71.33°M1 for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe(9)	$\sin A\widehat{D}C = \frac{9.67 \times \sin 85}{10.2}$ (=0.9446) oe	M2	FT 'their 9.67'
Accept answers in range 70.8° to 71.33° A1 CAO (9)			M1 for $\frac{9.67}{\sin ADC} = \frac{10.2}{\sin 85}$ oe
(9)	Accept answers in range 70.8° to 71.33°	A1	САО
		(9)	

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