| Surname |
| :--- |
| First name(s) |


| Centre <br> Number | Candidate <br> Number |
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GCSE
3310U50-1

## FRIDAY, 20 MAY 2022 - MORNING

## MATHEMATICS - NUMERACY <br> UNIT 1: NON-CALCULATOR HIGHER TIER

1 hour 35 minutes

## ADDITIONAL MATERIALS

The use of a calculator is not permitted in this examination. A ruler, a protractor and a pair of compasses may be required.

## INSTRUCTIONS TO CANDIDATES

Use black ink or black ball-point pen. Do not use gel pen or correction fluid.
You may use a pencil for graphs and diagrams only.
Write your name, centre number and candidate number in the spaces at the top of this page.
Answer all the questions in the spaces provided.
If you run out of space, use the additional page at the back of the booklet. Question numbers must be given for the work written on the additional page.
Take $\pi$ as $3 \cdot 14$.

## INFORMATION FOR CANDIDATES

| For Examiner's use only |  |  |
| :---: | :---: | :---: |
| Question | Maximum <br> Mark | Mark <br> Awarded |
| 1. | 6 |  |
| 2. | 5 |  |
| 3. | 6 |  |
| 4. | 6 |  |
| 5. | 10 |  |
| 6. | 2 |  |
| 7. | 6 |  |
| 8. | 9 |  |
| 9. | 7 |  |
| 10. | 13 |  |
| Total | 70 |  |

You should give details of your method of solution when appropriate.
Unless stated, diagrams are not drawn to scale.
Scale drawing solutions will not be acceptable where you are asked to calculate.
The number of marks is given in brackets at the end of each question or part-question.
In question 4, the assessment will take into account the quality of your linguistic and mathematical organisation, communication and accuracy in writing.

## Formula List - Higher Tier

Area of trapezium $=\frac{1}{2}(a+b) h$


Volume of sphere $=\frac{4}{3} \pi r^{3}$
Surface area of sphere $=4 \pi r^{2}$


Volume of cone $=\frac{1}{3} \pi r^{2} h$
Curved surface area of cone $=\pi r l$


In any triangle $A B C$
Sine rule $\frac{a}{\sin A}=\frac{b}{\sin B}=\frac{c}{\sin C}$
Cosine rule $a^{2}=b^{2}+c^{2}-2 b c \cos A$
Area of triangle $=\frac{1}{2} a b \sin C$


## The Quadratic Equation

The solutions of $a x^{2}+b x+c=0$ where $a \neq 0$ are given by

$$
x=\frac{-b \pm \sqrt{\left(b^{2}-4 a c\right)}}{2 a}
$$

## Annual Equivalent Rate (AER)

AER, as a decimal, is calculated using the formula $\left(1+\frac{i}{n}\right)^{n}-1$, where $i$ is the nominal interest rate per annum as a decimal and $n$ is the number of compounding periods per annum.

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1. (a) People travel by bus or by train from Hiraddug Station.
2. (a) People traver, 420 people travelled by bus from the station.

The ratio of the number of people travelling by bus to the number of people travelling by train was 20:17.

Calculate the number of people who travelled by train from the station on Tuesday.
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(b) The price of a ticket to travel by bus to Glaswen Station has increased by $5 \%$ in each of the last 2 years.
Two years ago, the price of a ticket was $£ 4$.
Calculate the current price of a ticket.
2. (a) Gwyn is making some packs.

Each pack contains one nut, one bolt and one washer.
To make up these packs, Gwyn buys:

- some boxes that contain 30 nuts each
- some boxes that contain 5 bolts each
- some boxes that contain 25 washers each.


Gwyn wants to buy the least possible number of boxes so that, in making up the packs, he uses all of the nuts, bolts and washers he has bought.

Complete the table below to show the number of boxes of each item that Gwyn needs to buy.
You must show all your working.

(b) Each washer has a thickness of 2 mm , correct to the nearest 0.5 mm . Calculate the greatest possible thickness of a stack of 6 washers.
$\qquad$
3. OrenVit is a company that produces bottles of orange juice.

The company uses only bottles with a capacity of one litre.
Each day, the cost of producing bottles of orange juice is as follows:

| Fixed charge for use of equipment | $£ 10$ |
| :--- | :--- |
| Cost of ingredients | 80p per bottle |
| Cost of empty bottles with labels | 20p per bottle |

(a) Draw a graph to show the total daily cost of producing between 0 and 100 bottles of orange juice.
Use the graph paper below.


Number of
1-litre bottles
(b) One day, OrenVit produces 1750 pints of orange juice in one-litre bottles.
Calculate the cost of producing this quantity of orange juice.
4. In this question, you will be assessed on the quality of your organisation, communication and accuracy in writing.

Rectangular stickers with warnings written on them are often placed near water taps.

The rectangular sticker shown below warns of hot water.
It has a length of 14 cm and an area of $42 \mathrm{~cm}^{2}$.


## This water is hot

Diagram not drawn to scale

The sticker below is mathematically similar to the first sticker.
It is an enlargement of the first sticker, with scale factor 4.

Calculate the length and the width of the larger sticker.
You must show all your working.
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5. (a) An aquarium has 35 ray fish.

The cumulative frequency graph shows information about the lengths of these ray fish.


Cumulative frequency


Use the cumulative frequency diagram to give the best estimates for the answers to the following questions.
(i) What is the median length of these ray fish?
$\qquad$
(ii) How many of these ray fish have lengths greater than 72 cm ?


The table shows information about the length of the guppies in a sample of 60 guppies.

(ii) How many of the sample of 60 guppies have a length greater than or equal to 2.4 cm ?
$\qquad$
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(c) A carp was weighed in November 2021. It was weighed again in April 2022.
The carp had a mass of $9 \cdot 9 \mathrm{~kg}$ in April 2022.
Between these dates, the mass of the carp increased by $10 \%$.


Calculate the mass of the carp in November 2021.
[2]
6. The surface area of the Earth is 510 million $\mathrm{km}^{2}$. Write this area in standard form.
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$\qquad$
7. Tregareth Zoo has a large glass enclosure for reptiles.

The enclosure consists of a hollow rectangular-based pyramid sitting on top of a cuboid, as shown below.


Diagram not drawn to scale

The enclosure is to be modified by placing a wooden cuboid onto the base.
This cuboid will reduce the capacity of the enclosure.



The pyramid has a vertical height of 1.5 m .
The inserted wooden cuboid has dimensions 4 m by 3.5 m by 0.5 m .
Calculate the capacity of this modified enclosure as a percentage of the capacity of the original enclosure.
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Capacity of modified enclosure is $\qquad$ \% of the capacity of original enclosure
8. Robert's Plants is a company that grows ornamental trees to sell in its nursery. The histogram below shows the heights of the 80 trees in the nursery.

Frequency density

(a) Trees that can be sold are at least 50 cm tall.

How many trees are too short to be sold?
(b) Use the histogram to give the best estimates for the answers to the following questions.
(i) What is the median height of the 80 trees?
47.5 cm

48 cm
50 cm
55 cm
60 cm
Examiner
Circle your answer.
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$\qquad$
(ii) Calculate the inter-quartile range of the heights of the 80 trees.
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9. (a) Medi-Cap is a company that makes hollow spherical capsules for medicine.


One of its spherical capsules has a volume of $128 \pi \mathrm{~mm}^{3}$.
Calculate the radius of this capsule.
Give your answer in the form $a \sqrt[3]{12}$, where $a$ is an integer. You must show all your working.
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$\qquad$
(b) Medi-Cap also makes another shape of capsule, called a Bullet capsule.


These capsules are in the shape of two hollow hemispheres attached to each end of a hollow cylinder, as shown below.
The diameter of the cylinder, and of each hemisphere, is 8 mm .


Diagram not drawn to scale

To make a capsule easier to swallow, the exterior surface is coated with a glaze.
Calculate the surface area that is covered by the glaze.
Give your answer in terms of $\pi$ in its simplest form.
10. Eliska competed in an indoor cycle race.

The speed-time graph below shows Eliska's speed during the first 8 seconds of her race.

(c) Use the trapezium rule with exactly 4 strips of equal width to estimate the distance Eliska travelled during the first 8 seconds of the race.
(d) The speed-time graph below shows Eliska's speed from $t=8$ seconds to $t=48$ seconds.
The graph shows that her speed increased at a constant rate from $t=8$ to $t=16$, and at a different constant rate from $t=16$ to $t=48$.


Eliska's speed at $t=48$ was $1 \mathrm{~m} / \mathrm{s}$ faster than her speed at $t=16$.
From $t=8$ to $t=48$, Eliska travelled 550 m .
Form and solve an equation to calculate Eliska's speed at time $t=16$ seconds.

Eliska's speed at time $t=16$ seconds is $\mathrm{m} / \mathrm{s}$

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